Vincent Chiu (VCLH)

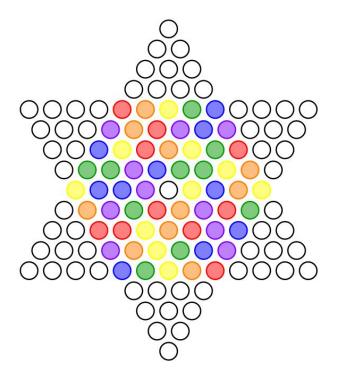


Background

Author: VCLH

Setter: VCLH, yaufung

Simulator: nhho (Did you enjoy?)





Background

Source: Wikipedia

^ 歴史

中國跳棋的前身是正方跳棋(Halma),是由美國人George Howard Monks於 1883年到1884年發明的^[1],也說法認為是1885年發明^[2]。這種跳棋可供2人或4人進行遊戲,棋盤為正方形,共有256格,開始時棋子分佈在角落,以最快跳到 對角為目標,規則和現在的中國跳棋相似。Halma原文為希臘文的 ἄλμα,為跳躍之意,遊戲的靈感則來自一個於1854年發明的英國遊戲Hoppity^[3]。

正方跳棋誕生後,很快又出現了使用六角星形棋盤的變種,在1892就由德國著名的遊戲公司Ravensburger取得專利,被命名為Sternhalma,意為星形跳棋^[1],也就是後來所稱的中國跳棋。與正方跳棋相比,遊戲的變化和所需的技巧更加複雜。這個遊戲在20世紀初期逐漸在各國開始流行,其較早的英文名為Hop Ching Checker Game,但隨後被改為Chinese Checkers,但事實上和中國沒有關係^[1],只是為了從營銷角度上增加神秘感。中國跳棋的稱法來自英語,而在粵語中稱作波子棋,因為彈珠也被廣泛用作棋子,彈珠在粵語中的說法即為波子。

日本、韓國有種稱為鑽石跳棋的中國跳棋變體,棋子有王兵之分。



^ History and nomenclature



Boys playing Hop Ching Checkers, Montreal, 1942

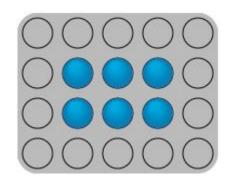
Despite its name, the game is not a variation of checkers, nor did it originate in China or any part of Asia. The game was invented in Germany in 1892 under the name "Stern-Halma" as a variation of the older American game Halma. [6] The "Stern" (German for *star*) refers to the board's star shape (in contrast to the square board used in Halma).

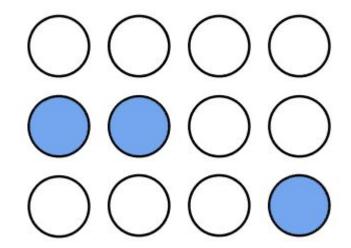
The name "Chinese Checkers" originated in the United States as a marketing scheme by Bill and Jack Pressman in 1928. The Pressman company's game was originally called "Hop Ching Checkers".^[7]

In Japan, the game is known as "Diamond Game" (ダイヤモンドゲーム). The game was introduced to Chinese-speaking regions mostly by the Japanese, [6] where it is known as *Tiaogi* (Chinese: 跳棋, "jump chess").

The Problem

Given **R x C** marbles on (**R** + 2) **x** (**C** + 2) checkerboard Remove all marbles except 1



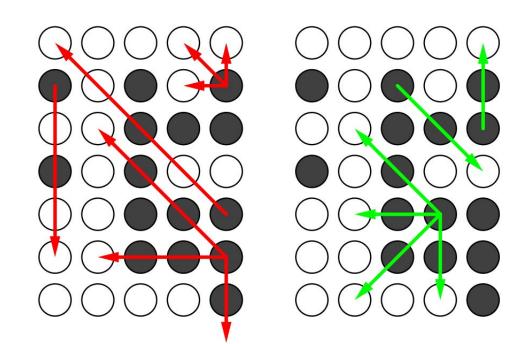




The Problem

Given R x C marbles on (R + 2) x (C + 2) checkerboard

Remove all marbles except 1





Background

Peg Solitaire

- Only orthogonal jumps
- Only one empty hole



Background

What Cherry "created" is actually an easier version of peg solitaire

- Allow diagonal jumps: 8-move peg solitaire
- Many more empty holes: entire rows and columns

Scoring

Output N moves \rightarrow M = (R x C - N) marbles remain

Score =
$$40 imes rac{1}{\sqrt{M}} + 10^{1-rac{M-1}{\min(R,C)}} + 50^{1-rac{M-1}{R imes C}}$$

Goal:
$$M = 1 \leftarrow N = R \times C - 1$$

Input

22

Output



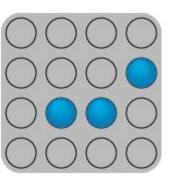


Input

22

Output

3





Input

22

Output

3

1112





Input

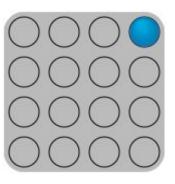
22

Output

3

1112

2122





Input

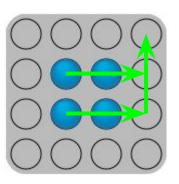
22

Output

3

1112

2122





Input

22

Output





Input

22

Output

3





Input

22

Output

3

1112





Input

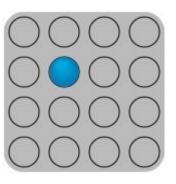
22

Output

3

1112

1322





Input

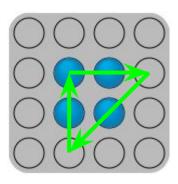
22

Output

3

1112

1322





Input

2 2

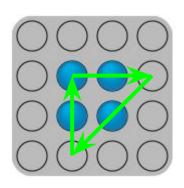
Output

3

1112

1322

3121



Observation: Marble goes back to original position



Subtasks

For all cases: $2 \le R, C \le 100$

Points Constraints

1 2
$$R=2, C=2$$

$$R = 2, C = 3$$

$$3 4 R=3, C=3$$

$$4 5 R=4, C=3$$

5 6
$$R = 4, C = 4$$

6 14
$$2 \le R, C \le 5$$

7 15
$$R = 2$$

$$R = 3$$

Statistics





Overview

To solve this kind of **ad-hoc** and/or **constructive** problems:

- Usually more interesting (?) and less "standard"
- Usually requires a lot of rough work and/or insight and/or intuition

Constructive Algorithms & Special Tasks

How to approach them?

- 1. Solve some small cases manually / with the aid of programs
- 2. Observe patterns / relations between them
- 3. Making some "reasonable" guesses
- 4. Convince yourself that the guess is correct (or incorrect?)



Solutions



Subtask 1 (2 points)

R = 2, C = 2

→ Sanity Check

```
1 #include <bits/stdc++.h>
 2 using namespace std;
  int main() {
     int R, C;
     cin >> R >> C;
     if(R == 2 \&\& C == 2){
       cout << "3" << endl;
 8
       cout << "1 1 1 2" << endl;
       cout << "2 1 2 2" << endl;
       cout << "2 3 1 3" << endl;
10
11
12
     return 0;
13 }
```

Subtask 1 (2 points)

$$R = 2, C = 2$$

→ Sanity Check

S211 Skyscraperhenge	S212 Super Chat	S213 Chinese Checkers	Total
?	?	?	?
?	?		?

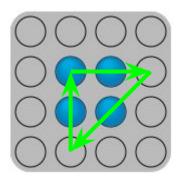
Subtask 1 (2 points)

$$R = 2, C = 2$$

→ Sanity Check

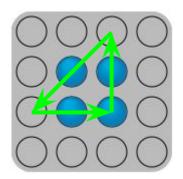
S211 Skyscraperhenge	S212 Super Chat	S213 Chinese Checkers	Total
?	?	?	?
?	?		?

Strategy 0.0: 2 points



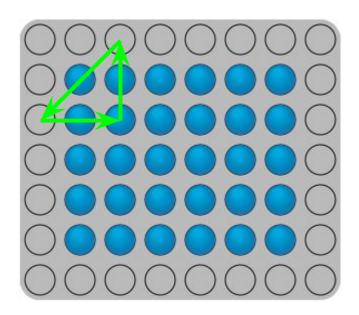
```
1 #include <bits/stdc++.h>
2 using namespace std;
3 int main() {
    cout << "3" << endl;</pre>
    cout << "1 1 1 2" << endl;
    cout << "1 3 2 2" << endl;
    cout << "3 1 2 1" << endl;
    return 0;
9 }
```

Strategy 0.1



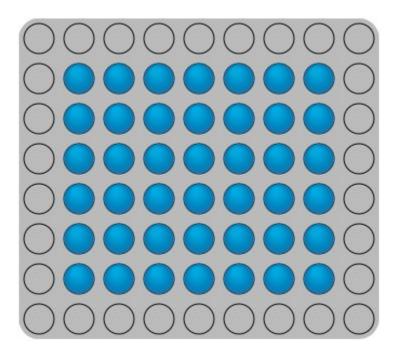
```
1 #include <bits/stdc++.h>
2 using namespace std;
3 int main() {
    cout << "3" << endl;</pre>
    cout << "2 2 1 2" << endl;
    cout << "0 2 1 1" << endl;
    cout << "2 0 2 1" << endl;
    return 0;
9 }
```

Strategy 0.1:8.36 points

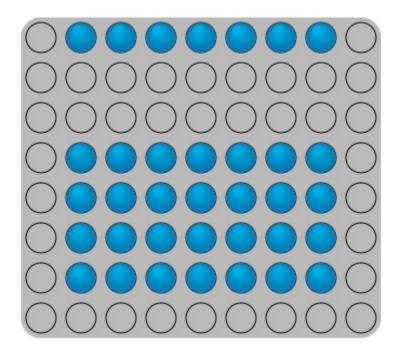


```
1 #include <bits/stdc++.h>
2 using namespace std;
3 int main() {
    cout << "3" << endl;</pre>
    cout << "2 2 1 2" << endl;
    cout << "0 2 1 1" << endl;
    cout << "2 0 2 1" << endl;
    return 0;
```

Strategy 1.1

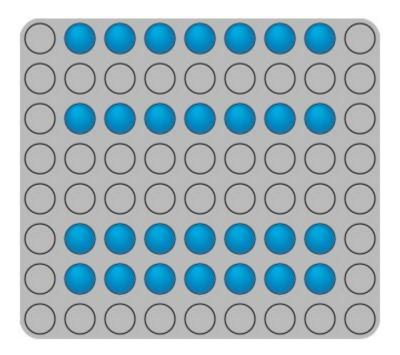


Strategy 1.1: 9.33 points

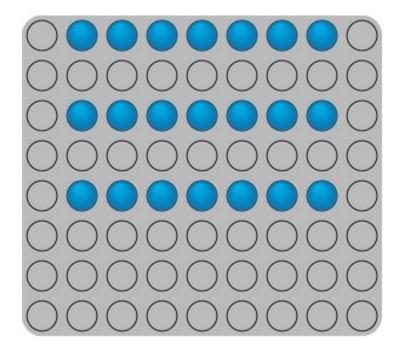




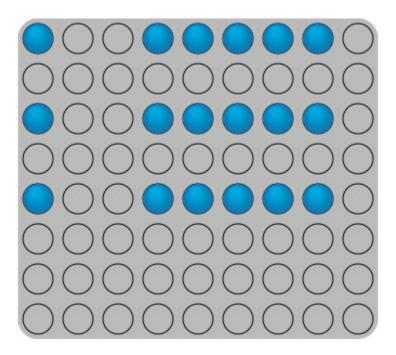
Strategy 1.2



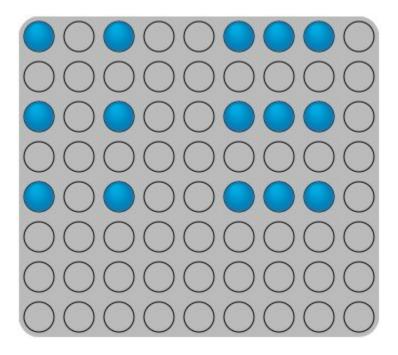
Strategy 1.2: 12.48 points



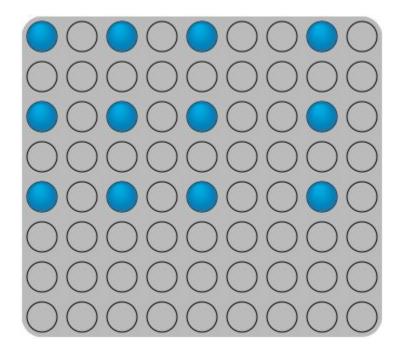
Strategy 1.3



Strategy 1.3



Strategy 1.3 : 25.77 points

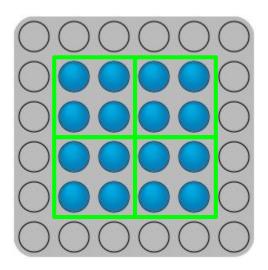


Back to subtasks...



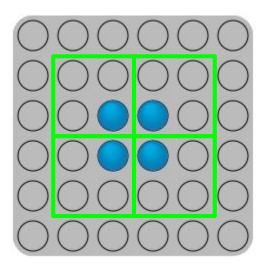
Subtask 5 (6 points)

$$R = 4, C = 4$$

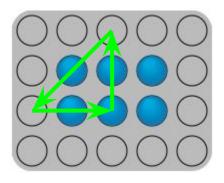


Subtask 5 (6 points)

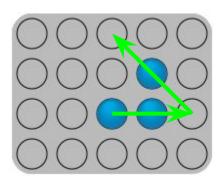
$$R = 4, C = 4$$



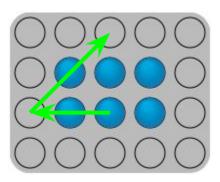
$$R = 2, C = 3$$



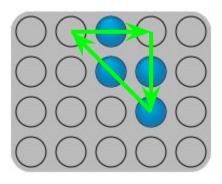
$$R = 2, C = 3$$



R = 2, C = 3

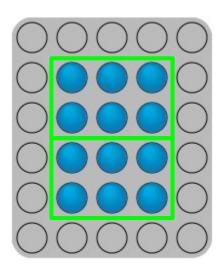


R = 2, C = 3



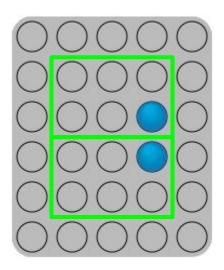
Subtask 4 (5 points)

$$R = 4, C = 3$$

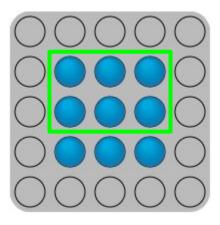


Subtask 4 (5 points)

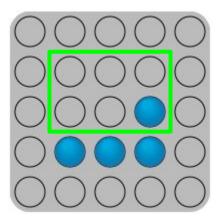
$$R = 4, C = 3$$



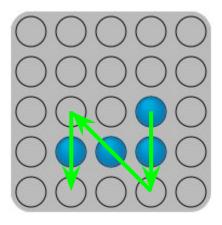
$$R = 3, C = 3$$



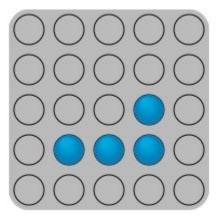
$$R = 3, C = 3$$



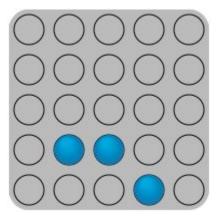
$$R = 3, C = 3$$



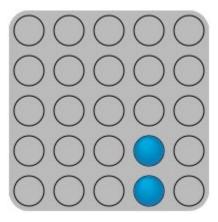
R = 3, C = 3



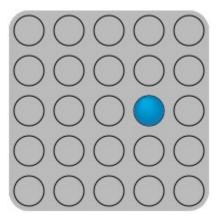
R = 3, C = 3



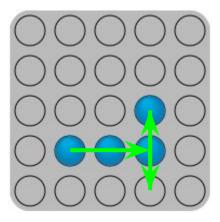
R = 3, C = 3



R = 3, C = 3

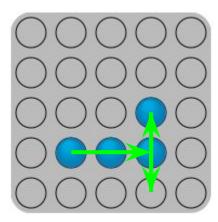


R = 3, C = 3



R = 3, C = 3

Another way:



Observation: Marble goes back to original position

2 <= R, C <= 5

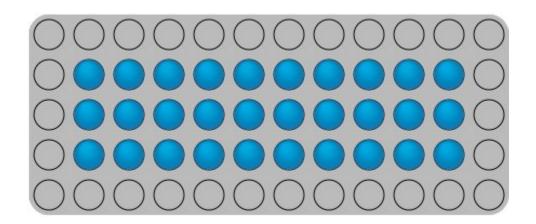
Method 1: Brute Force DFS

Method 2: Hardcode

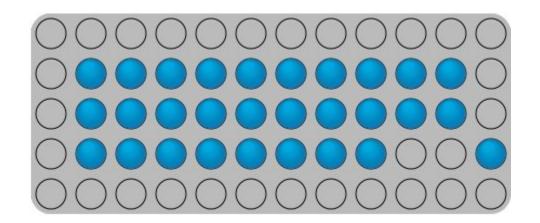
	S211 Skyscraperhenge	S212 Super Chat	S213 Chinese Checkers	Total
?			34	34



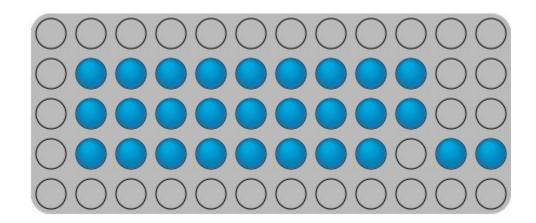
R = 3



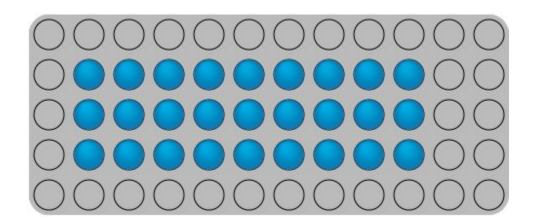
R = 3



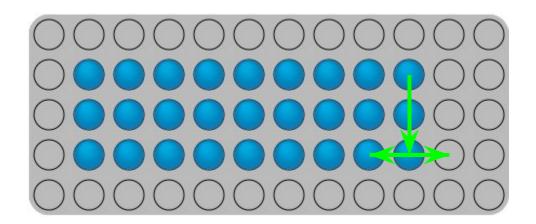
R = 3



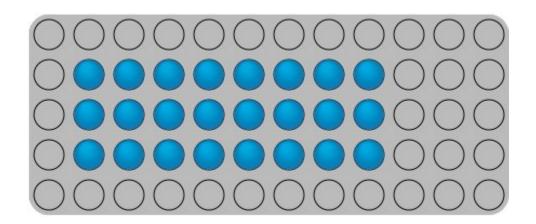
R = 3



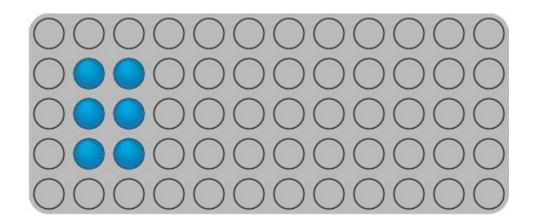
R = 3



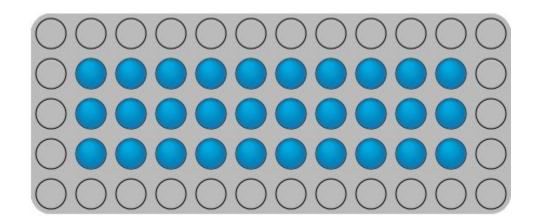
R = 3



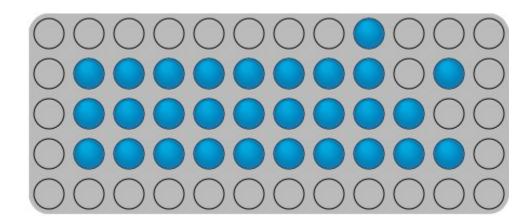
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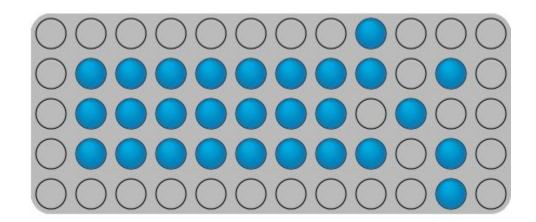
R = 3



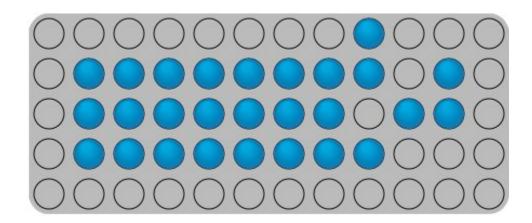
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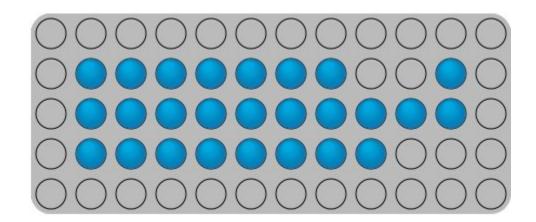
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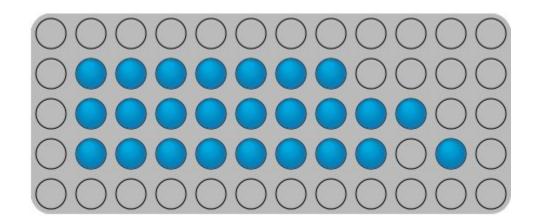
R = 3



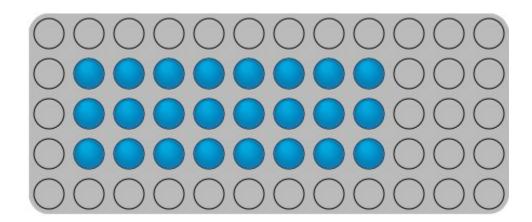
R = 3



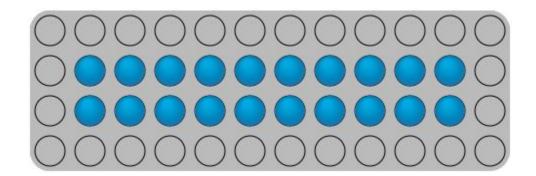
R = 3



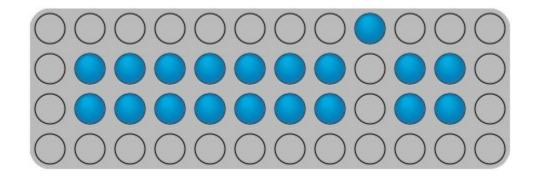
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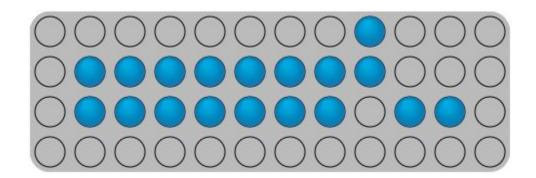
R = 2



R = 2

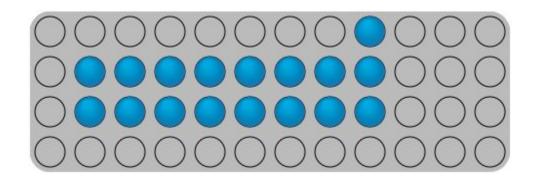


R = 2



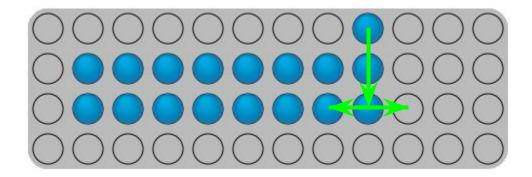
R = 2

Reduce 3 columns:



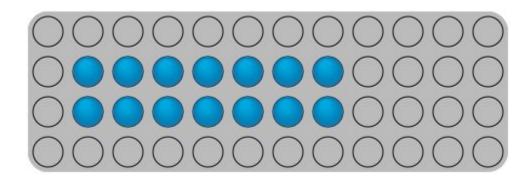
R = 2

Reduce 3 columns:



R = 2

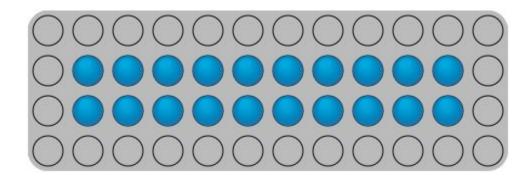
Reduce 3 columns:



R = 2

Reduce 2 columns: (by **dbsgame**)

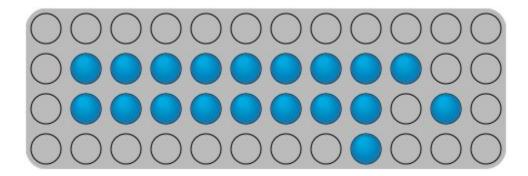
Initialization:



R = 2

Reduce 2 columns: (by **dbsgame**)

Initialization:

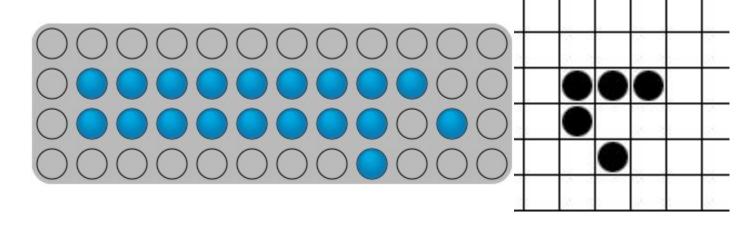


R = 2

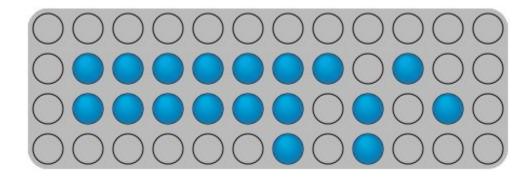
Reduce 2 columns: (by **dbsgame**)

Initialization:

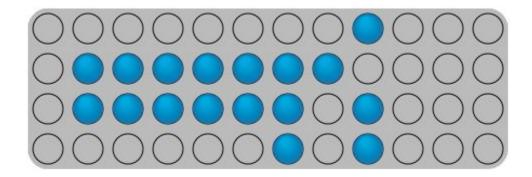
Glider (Conway's Game of Life)



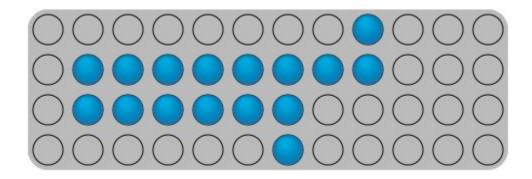
R = 2



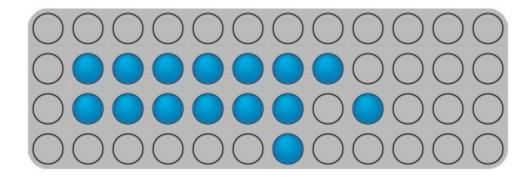
R = 2



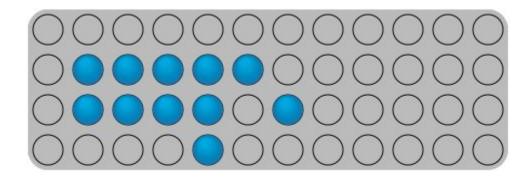
R = 2



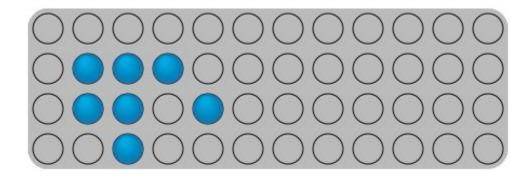
R = 2



R = 2



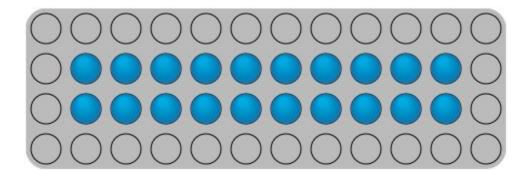
R = 2



R = 2

Reduce 1 column: (by dbstoshinari123)

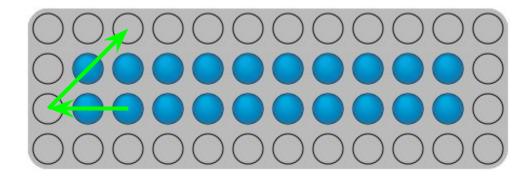
Initialization:



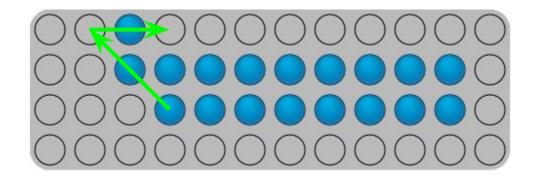
R = 2

Reduce 1 column: (by dbstoshinari123)

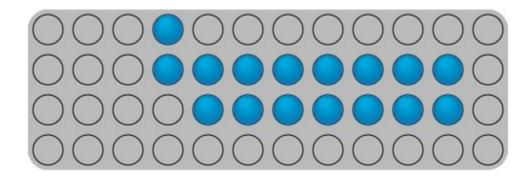
Initialization:



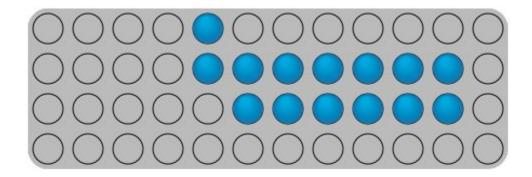
R = 2



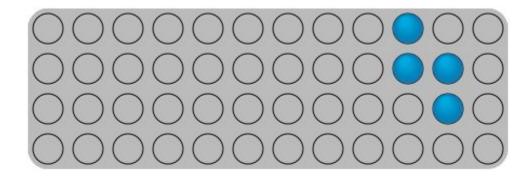
R = 2



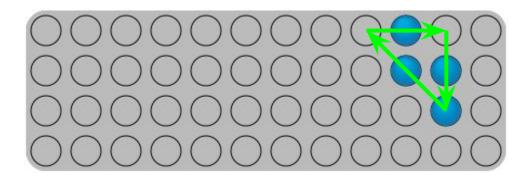
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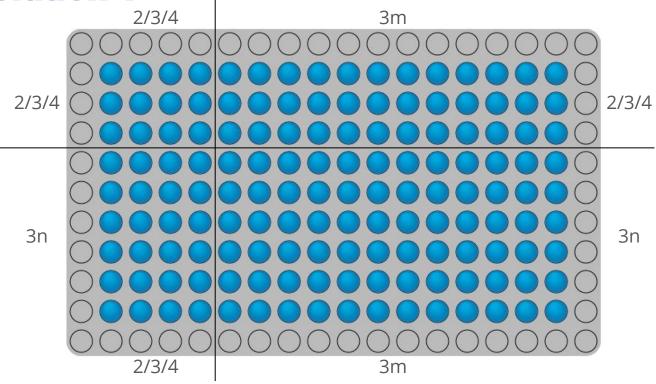


R = 2

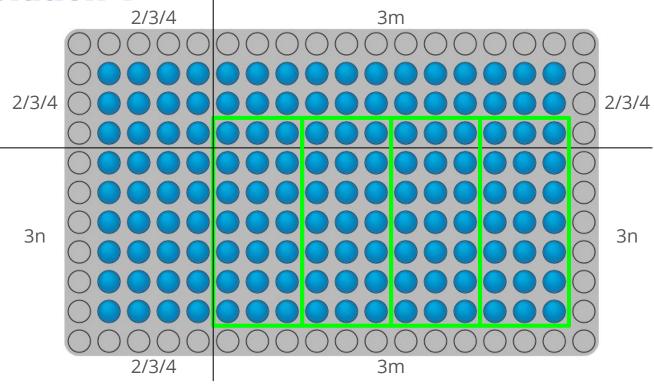


R = 2

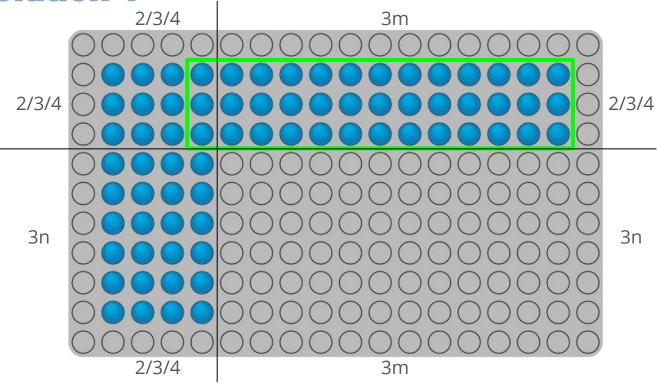




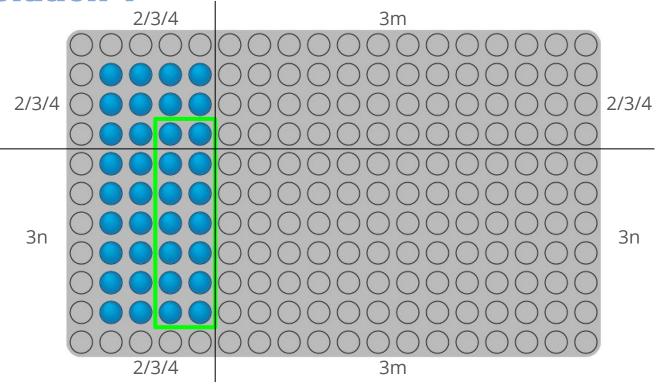




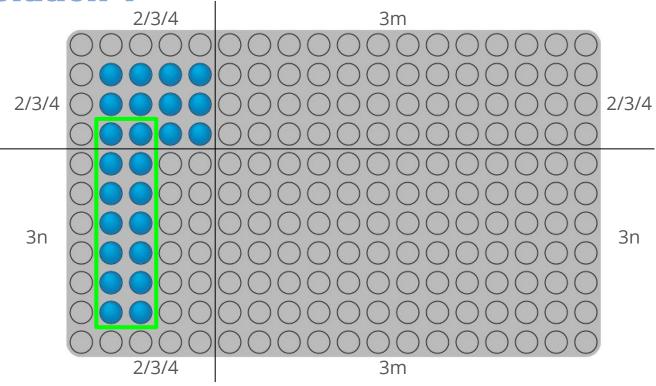




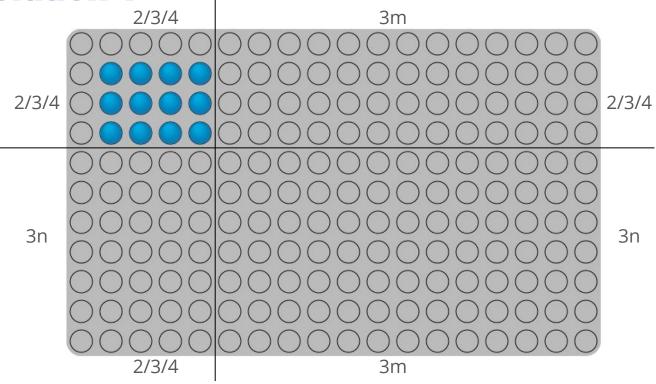






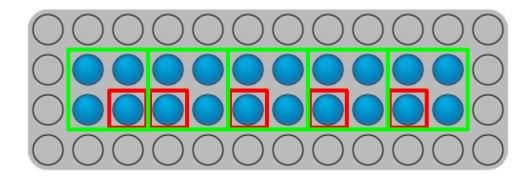




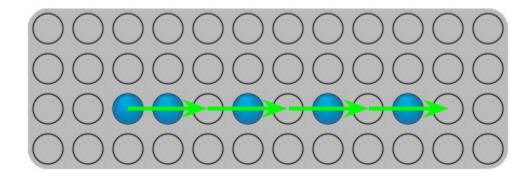




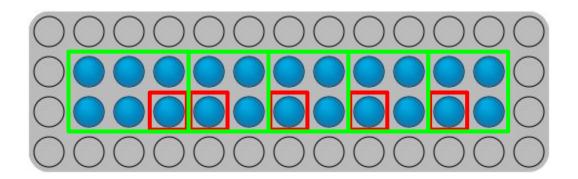
R = 2 (revisited)



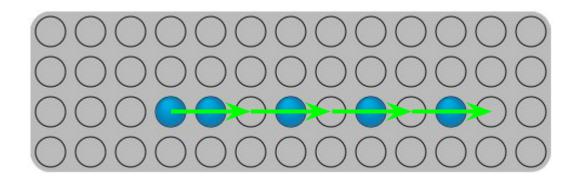
R = 2 (revisited)

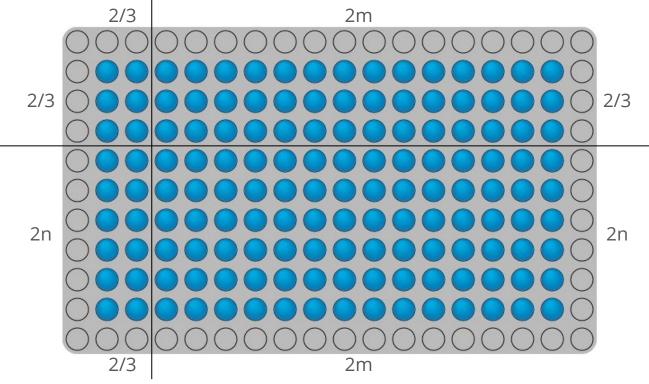


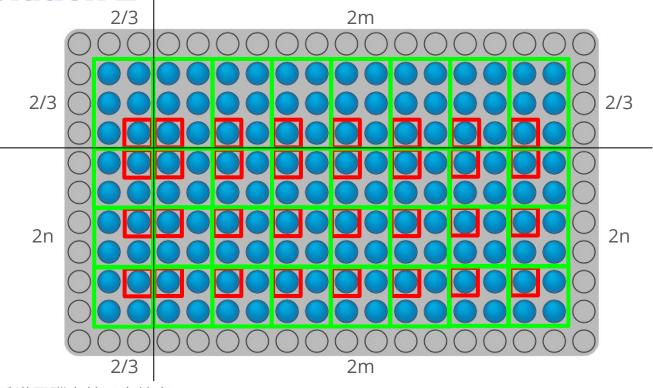
R = 2 (revisited)



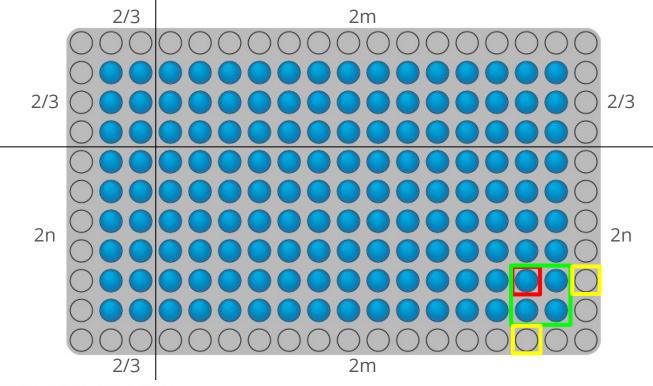
R = 2 (revisited)

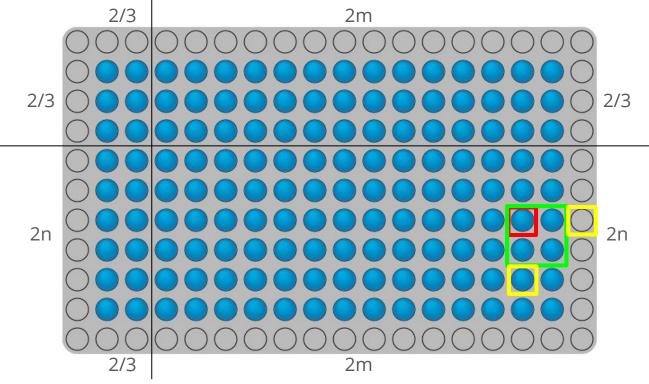


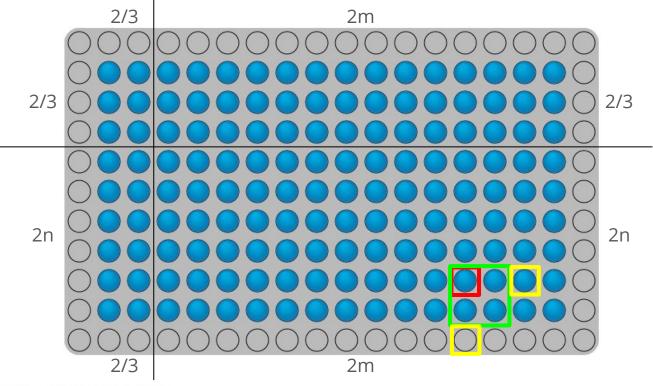


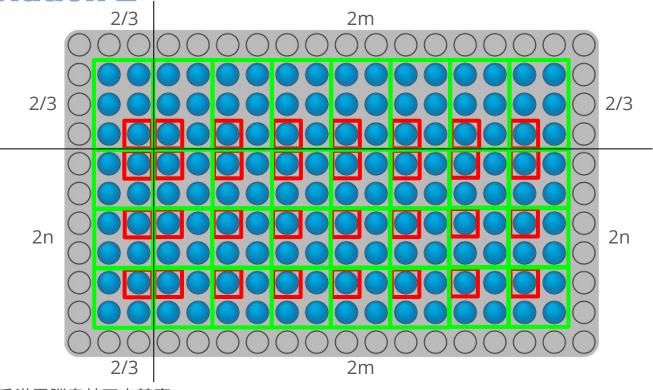




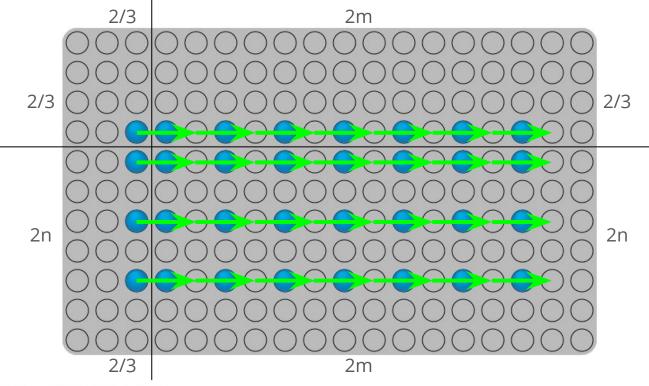




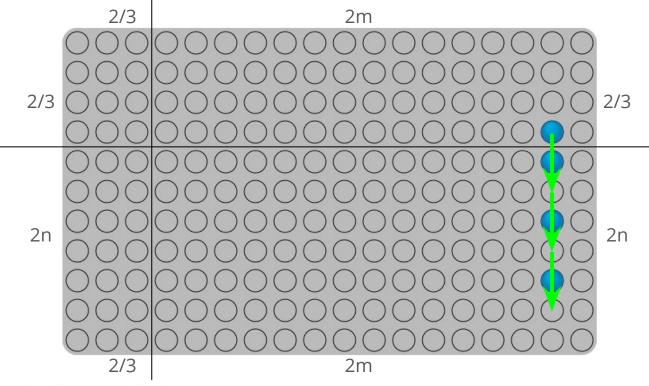


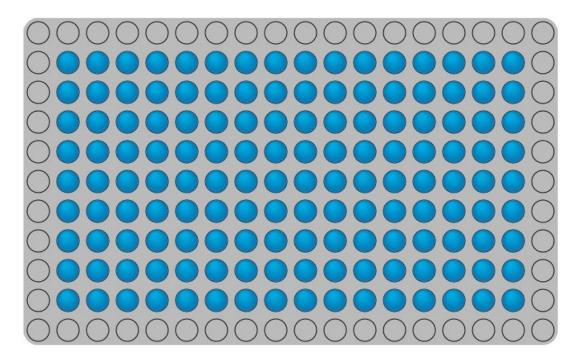




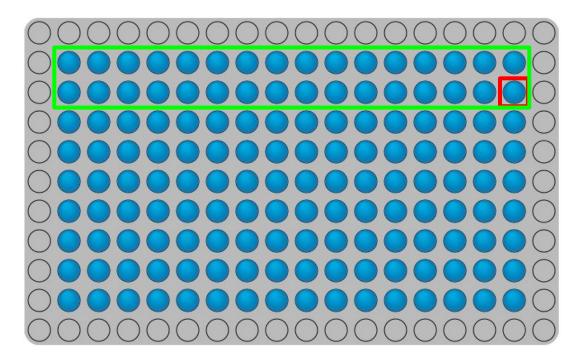


Full Solution 2

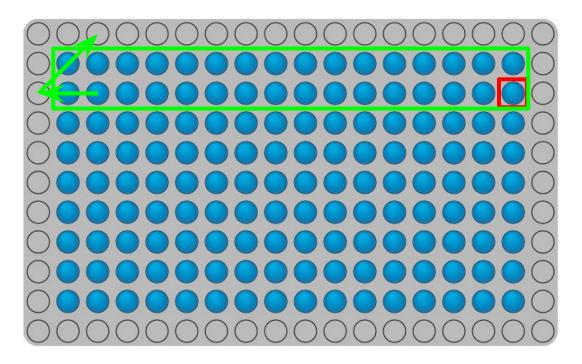




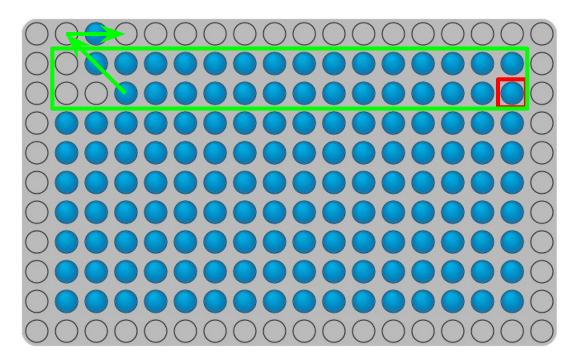




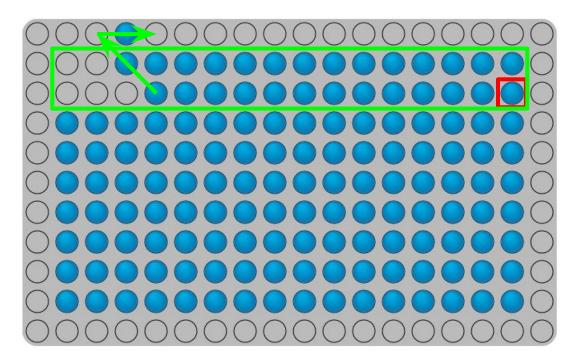




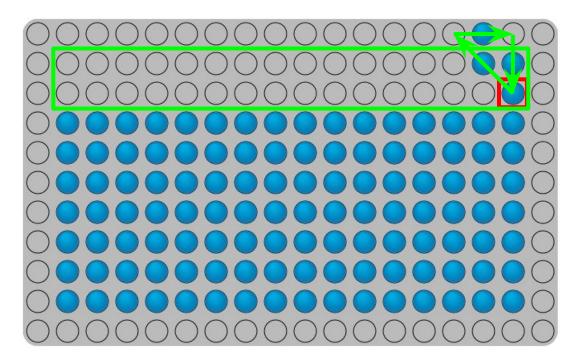




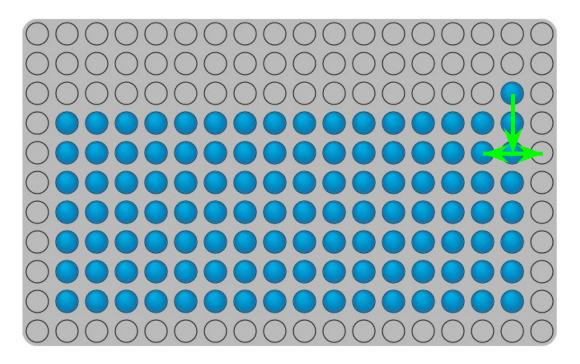




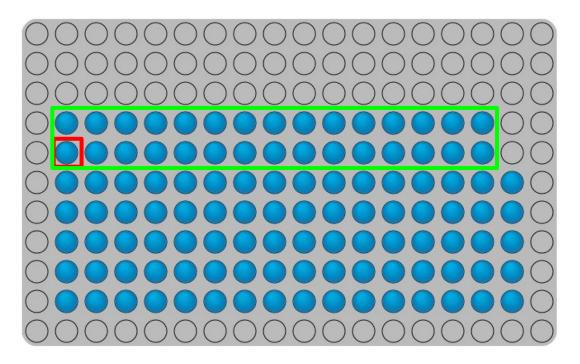




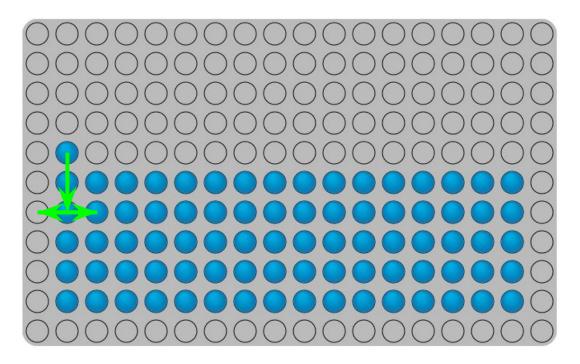




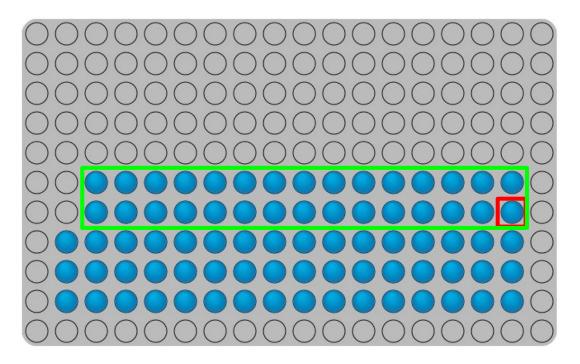




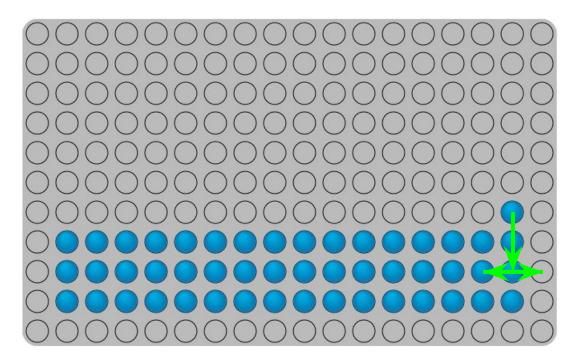




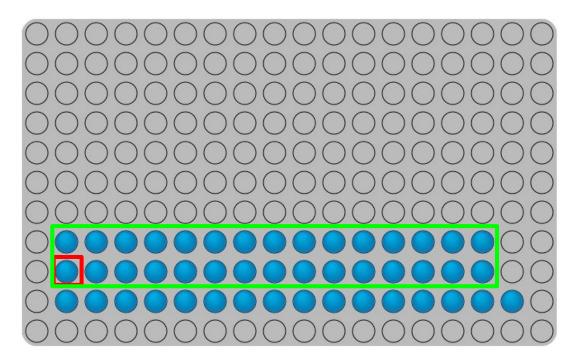




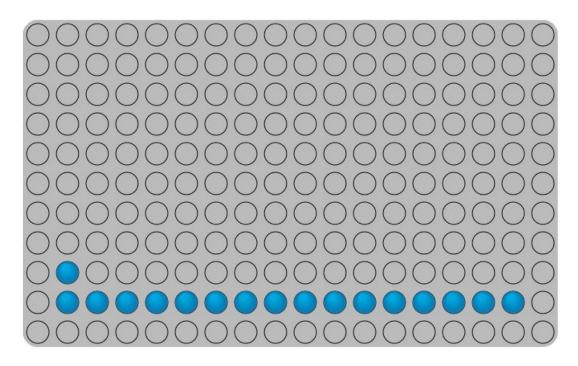


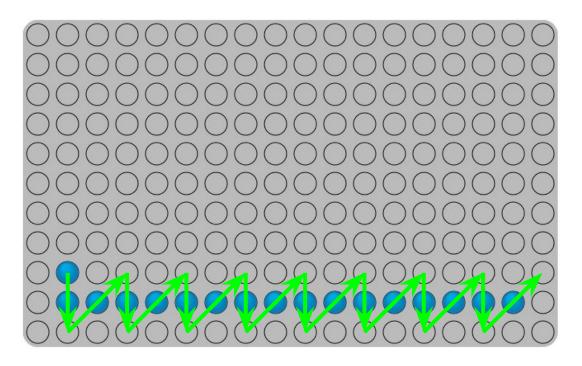












Overview

To solve this kind of **ad-hoc** and/or **constructive** problems:

- Usually more interesting (?) and less "standard"
- Usually requires a lot of rough work and/or insight and/or intuition

Constructive Algorithms & Special Tasks

How to approach them?

- 1. Solve some small cases manually / with the aid of programs
- 2. Observe patterns / relations between them
- 3. Making some "reasonable" guesses
- 4. Convince yourself that the guess is correct (or incorrect?)



Implementation Tricks

- Reduce the problem into smaller cases / lower dimensions
 - Solve recursively
- Divide your code into sections
 - Clear comments stating which section does what
 - Wrap them into functions with meaningful names
- A lot of repetitive set of moves
 - o e.g. 2x2, T-moves
 - Wrap them into helper functions
- Row and column operations are symmetric
 - Store outputs with array/vector and print at once
 - Use bool to indicate if you have to swap coordinates (r,c) / (c,r)

Questions?

Have fun with the simulator:)

