## S171-TV Ratings

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## Background

- This is an event processing task
- Generate a report given a list of events
- Actual data collection is more complicated
- Different manufacturers use different remote control signals
- Audio from TV is also analysed to match channels
$\triangleright$ Household members press the buttons on the TV Ratings box manually
- More demographics data such as gender and age group are gathered and analysed
- http://www.slideshare.net/TICinfo/06-unitam-collection-and-crediting-v4


## Statistics

- Subtask 1: 31
- Subtask 2: 12
- Subtask 3: 4
- Subtask 4: 2
- Subtask 5: 11
- Subtask 6: 6
- Subtask 7: 2
- First solved by Ian Wong @ 0:49


## Subtask 1

- There is only 1 channel
- which has 122 -hour programmes
- The only household does not press the power button during a programme, and does not press any channel buttons
- i.e. The household either watches a programme in full, or does not watch it at all.
- The output for each programme will be either 0 or 1


## Subtask1

- We can use a 1D integer array of size 12 to store the output, $\triangleright$ e.g.a[0] is the ratings of the first programme
- Initialize a[0. .11] = P (whether the TV is on)
- For each sensor record (t, h, b):
$\triangleright$ Toggle a[(t / 7200)] to a[11]. 0 becomes 1 and vice versa

| 1 | 1 | 0 | 1 | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |


| 1 | 1 | 0 | 1 | 1 | 0 | 0 | 1 | 1 | 1 | 1 | 1 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |

Finally, output a[0] to a[11]

## Subtask 5

- Same problem but we now have 100 channels
- Array a would be a 2D array of size $\mathrm{N} \times 12$
- Two extra variables on, channel to track household status
- When the household changes from channel $x$ to $y$ (when the TV is on)
- Toggle a[x][t / 7200] to a[x][11] anda[y][t / 7200] to a[y][11]


| $\mathrm{a}[1]$ | 1 | 1 | 0 | 1 | 0 | 0 | 0 | 1 | 1 | 1 | 0 | 0 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| $\mathrm{a}[2]$ | 0 | 0 | 0 | 0 | 1 | 1 | 0 | 0 | 0 | 0 | 1 | 1 | There is only 1 channel. There is only 1 household. The household does not press channel buttons.

- Create an array of size 86400 instead
- Idea: for each record, toggle a[t] to a[86399]
- Worst case would be $86400 \times 100000$ toggles
- Would result in Time Limit Exceeded
- We can use difference array (for details, see Optimization)
- We toggle a[t] only, meaning "a toggle happens here at time t"
$\triangleright$ After all records have been processed, produce

$$
\mathrm{b}[\mathrm{i}]=\mathrm{b}[\mathrm{i}-1] \text { xor } \mathrm{a}[\mathrm{i}] \text {, and output array } \mathrm{b}
$$

$\mathbf{a}$| 0 | 1 | 0 | 1 | 0 | 0 | 1 | 0 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |

There are not more than 100 channels. There is only 1 household.

- When the household changes from channel $x$ to $y$
- Toggle a[x][t] and a[y][t]

| a[x] | 1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| a[y] | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\downarrow \mathrm{t}=4$ |  |  |  |  |  |  |  |  |
| $\mathrm{a}[\mathrm{x}]$ | 1 | 0 | 0 | 0 | 1 | 0 | 0 | 0 |
| $\mathrm{a}[\mathrm{y}]$ | 0 | 0 | 0 | 0 | 1 | 0 | 0 | 0 |

- Compute array b similar to Subtask 2
- When a household turns the TV on, increment a [ t ]
- When a household turns the TV off, decrement a[t]
- For example
$\triangleright$ a household turns the TV on at $t=3$
$\triangleright$ a household turns the TV on at $t=4$
$\triangleright$ a household turns the TV off at $t=6$

| $\mathbf{a}$ | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
|  | $\mathbf{a}$ | 0 | 0 | 0 | 1 | 1 | 0 | 0 |

- Finally, compute b[i] = b[i - 1] + a[i]

b | 0 | 0 | 0 | 1 | 2 | 2 | 1 | 1 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |

- When there are 100000 channels,
- We need a 2D array of $100000 \times 86400$
- Memory limit exceeded
- Use linked lists to store the changes instead
- Computing the average would take $100000 \times 86400$ operations
- Time limit exceeded
- Fast forward sections with no changes
- Use linked lists to store changes

- Add an item $\{t=t i, d=1\}$ when a TV for that channel is turned on
- Add an item $\{t=t i, d=-1\}$ when a TV for that channel is turned off

The households do not press channel buttons.
Number of channels <= 100000
Program 1
Program 2


| Cumulative viewers-minutes | Init | $\begin{aligned} & t=1 \\ & d=1 \end{aligned}$ | $\begin{aligned} t & =2 \\ d & =-1 \end{aligned}$ | $\begin{aligned} & \mathrm{t}=3 \\ & \mathrm{~d}=1 \end{aligned}$ | $\begin{aligned} & \mathrm{t}=3 \\ & \mathrm{~d}=1 \end{aligned}$ | P1 ends | $\begin{gathered} t=7 \\ d=-1 \end{gathered}$ |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Timet | 0 | 1 | 2 | 3 | 3 | 6 | 7 | 86400 |
| Time Change dt | 0 | 1 | 1 | 1 | 0 | 3 | 1 | 86393 |
| cmins $+=\mathrm{v}^{*} \mathrm{dt}$ | 0 | $0>0$ | $0>1$ | $1>1$ | $1>1$ | $1>7>0$ <br> reset | $0>2$ s to 0 when pro | $2>86395>0$ <br> gram ends |
| Output cmins / duration |  |  |  |  |  | $7 / 6=1.17$ |  | 86395/86394 |
| Viewers v += d | 0 | $0>1$ | $1>0$ | $0>1$ | $1>2$ | 2 | $2>1$ | 1 |
| $t=\min$ (next item, program end) | $\begin{gathered} \min (1,6) \\ =1 \end{gathered}$ | $\begin{gathered} \min (2,6) \\ =2 \end{gathered}$ | $\begin{gathered} \min (3,6) \\ =3 \end{gathered}$ | $\begin{gathered} \min (3,6) \\ =3 \end{gathered}$ | $\begin{gathered} \min (7,6) \\ =6 \end{gathered}$ | $\begin{gathered} \min (7,86400) \\ =7 \end{gathered}$ | $\begin{gathered} \text { min(inf, 86400) } \\ =86400 \end{gathered}$ | -- |

## Subtask 7

- Similar to subtask 4 but we handle channel changes by adding two list items:
- Decrementing channel $x$ at time $t$ and
- Incrementing channel $y$ at time $t$
- There could be at most 300000 events
- $1^{*} M+2$ * $L$
- Overall time complexity: $\mathrm{O}(\mathrm{N}+\mathrm{M}+\mathrm{L})$
- Overall memory complexity: $\mathrm{O}(\mathrm{N}+\mathrm{M}+\mathrm{L})$

